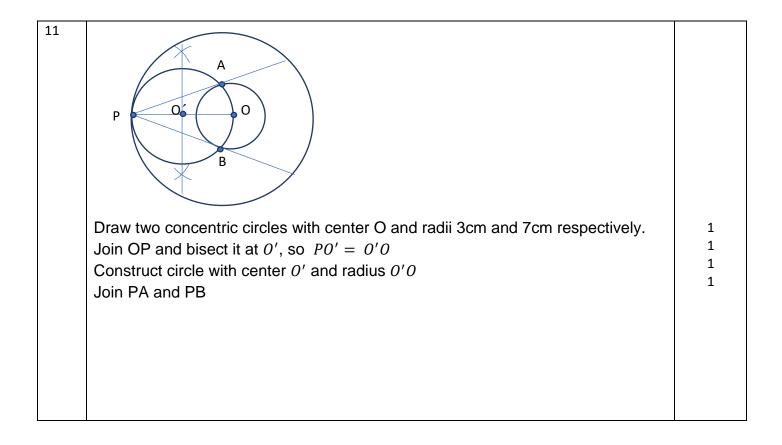
Marking Scheme Mathematics –Basic(241) Class- X Session- 2021-22 TERM II

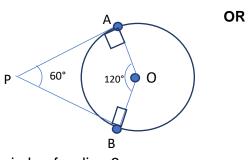
Q.N.	HINTS/SOLUTION				Marks
1	$3x^2 - 7x - 6 = 0$				
	$\Rightarrow 3x^2 - 9x + 2x - 6 = 0$				1/2
	$\Rightarrow 3x(x-3) + 2(x-3)$	-3) = 0			
	$\Rightarrow (x-3)(3x+2) = 0$				1/2
	$x = 3, -\frac{2}{3}$				
	$\therefore x = 3, -\frac{1}{3}$				1
			OR		
	Since the roots are	real and equal,	$D = b^2 - 4ac = 0$		
	$\Rightarrow k^2 - 4 \times 3 \times 3 = 0 (:$	a = 3, b = k, c =	= 3)		1
	\Rightarrow k ² = 36				
	\Rightarrow k = 6 or -6				1/2 +1/2
2	Let l be the side of t	he cube and L, E	B, H be the dimensions o	of the cuboid	
	Since $l^3 = 64 \ cm^3 :: l$	l=4 cm			1/2
	Total surface area of o	cuboid is $2[LB + B]$	(BH + HL), Where L=12, B=	:4 and H=4	1/2
	$=2(12 \times 4 + 4 \times 4 +$				1/2 1
3	Runs scored	Frequency	Cumulative Frequency		1
	0-20	4	4		
	20-40	6	10		
	40-60	5	15		
	60-80	3	18		1/2
	80-100	4	22		1/2
		(1)		•	
	Total frequence	* ' '			
	$\frac{N}{2}$ = 11; So 40-60 is the median class.			1/2	
	Median = $l + \frac{\left(\frac{N}{2}\right) - cf}{f} \times$	h			1/2
					1/2
	$= 40 + \frac{11-10}{5} \times 2$	20			
	= 44 runs				1/2
4	The common difference is 9 - 4=5				1
	If the first term is 6 and common difference is 5, then new AP is,				
	6, 6+5, 6+10				1
5	=6,11,16 ∴ Mode = 38.			<u> </u>	
	∴ The modal class is 30-40.			1/2	
	The model olds is out to.				
	Mode = $l + \frac{f_1 - f_0}{2f_1 - f_0 - f_2} \times h$				
	$\int_{0}^{\infty} \frac{1}{2} \int_{0}^{\infty} \frac{1}{f_{0}} \int_$			1/2	

	$=30 + \frac{16 - 12}{32 - 12 - x} \times 10 = 38$	1/2
	32 12 X	
	$\frac{4}{20-x} \times 10 = 8$	
	8(20-x) = 40	
	20-x= 5	1/2
	X= 15	1/2
6	X D Y	
	M E N	
	∴ XY is the tangent to the circle at the point D ∴ OD \bot XY \Rightarrow \angle ODX = 90° \Rightarrow \angle EDX = 90° Also, MN is the tangent to the circle at E	1/2
	$\therefore \text{ OE } \bot \text{ MN} \Rightarrow \angle \text{ OEN} = 90^{0} \Rightarrow \angle \text{ DEN} = 90^{0}$ $\Rightarrow \angle \text{ EDX} = \angle \text{ DEN } (each 90^{0}).$	1/2
	which are alternate interior angles. ∴ XY MN	1
	OR	
	∴ Tangent segments drawn from an external point to a circle are equal ∴ BP=BQ CR=CQ DR=DS AP=AS	
	, b	
	⇒BP+CR+DR+AP = BQ+CQ+DS+AS	1
	\Rightarrow AB+DC = BC+AD	
	∴ AD= 10-7= 3 cm	1
	Section-B	
L		1

7	First Term of the AP(a) = 5		
	Common difference (d) = 8-5=3		
	Last term = a_{40} = a+(40-1) d		_
	$= 5 + 39 \times 3 = 122$		1
	Also $a_{31} = a + 30d = 5 + 30 \times 3 = 95$		1
			1
	Sum of last 10 terms = $\frac{n}{2}(a_{31} + a_{40})$		
	<u> </u>		
	$=\frac{10}{2}(95+122)$		
	$= 5 \times 217 = 1085$		1
8			
	Let, AB be the tree broken at C,	D	
	Also let $AC = \lambda$	В	
	In \triangle CAD, $\sin 30^{\circ} = \frac{AC}{DC}$	8m	1
			1
	$\Rightarrow \frac{1}{2} = \frac{x}{8}$		
	$\Rightarrow x = 4 m$	С	1/2
	⇒the length of the tree is = 8+4 =12m		1/2
	→ the length of the flee is = 0+4 = 12111		
		x	
	30 •		4/
		l _A	1(correct
	OR D		Fig.)
	Let AB and CD be two poles of height h meters also let P be a point between	n them on	
	the road which is x meters away from foot of first pole AB, PD= (80-x) mete		
	In $\triangle ABP$, $tan60^o = \frac{h}{r} \Rightarrow h = x\sqrt{3}$ (1)		
	x		1
	$\lim_{n \to \infty} ACDD + \lim_{n \to \infty} 200 = h \qquad h \qquad h \qquad 80-x \qquad (2)$		1/2
	In $\triangle CDP$, $tan 30^o = \frac{h}{80-x} \implies h = \frac{80-x}{\sqrt{3}}$ (2)		±,
	$x\sqrt{3} = \frac{80-x}{\sqrt{3}}$ [:: LHS(1) = LHS(2), so equating RHS]		
	, ,		
	$\Rightarrow 3x = 80 - x \Rightarrow 4x = 80 \Rightarrow x = 20m$		
	So, $80 - x = 80 - 20 = 60m$		1/2
	Hence the point is 20m from one pole and 60 meters from the other pole.		
	A _N C		
	h h		
	60° 30°		1(correct
	B		Fig.)
	х Р 80-х		

9	PA = PB (Tangent segments drawn to a circle from an external point are equal)	
	$\therefore \text{ In } \triangle APB, \angle PAB = \angle PBA$	1
	Also, \angle APB = 60°	_
	In $\triangle APB$, sum of three angles is 180° .	
	Therefore, \angle PAB + \angle PBA = 180° - \angle APB= 180° – 60° = 120°.	
	$\therefore \angle PAB = \angle PBA = 60^{\circ} (\because \angle PAB = \angle PBA)$	1
	$\therefore \Delta APB$ is an equilateral triangle.	_
	So, $AB = 6cm$	1
10	Let the three consecutive multiples of 5 be 5x, 5x+5, 5x+10.	
10	Their squares are $(5x)^2$, $(5x + 5)^2$ and $(5x + 10)^2$.	
	$(5x)^2 + (5x + 5)^2 + (5x + 10)^2 = 725$	1
	$\Rightarrow 25x^2 + 25x^2 + 50x + 25 + 25x^2 + 100x + 100 = 725$	
	$\Rightarrow 75x^2 + 150x - 600 = 0$	
	$\Rightarrow x^2 + 2x - 8 = 0$	
	$\Rightarrow (x+4)(x-2) = 0$	
	$\Rightarrow x = -4, 2$	1
	$\Rightarrow x = 2$ (ignoring –ve value)	
	So the numbers are 10, 15 and 20	1
	Section-C	





Draw a circle of radius 6cm Draw OA and Construct $\angle AOB = 120^{\circ}$ Draw $\angle OAP = \angle OBP = 90^{\circ}$ PA and PB are required tangents

Join OP and apply $\tan \angle APO = \tan 30^\circ = \frac{6}{PA}$ ⇒ Length of tangent = $6\sqrt{3}$ cm

1 1

1

1

12 Converting the cumulative frequency table into exclusive classes, we get:

Age	No of passengers(fi)	Χį	$f_i x_i$
0-10	14	5	70
10-20	30	15	450
20-30	38	25	950
30-40	52	35	1820
40-50	50	45	2250
50-60	61	55	3355
60-70	42	65	2730
70-80	13	75	975
	$\Sigma f_i = 300$		$\sum f_i x_i = 12600$

Mean age = $\bar{x} = \frac{\sum f_i x_i}{\sum f_i} = \frac{12600}{300}$

 $\bar{x} = 42$

1

2

1

